

/

()

....

:

(cointegration)

Granger

:

(cointegration)

-

-

-

-

/

-

Cambridge

. Milton Friedman Don Patinkin

:

1-1

1563

Malestroit

Malestroit

(1968)Bodin

Pline Plutarque

William Petty

David hume 1752

4/5

Richard Cantillon

2-1

Jean B. Say

SAY

Ricardo

Mill

Cantillon

Say Ricardo Mill

:Fisher

3-1

(The purchasing power of money)

Irving Fisher

(1991)

MV= PT :

:V ,

:T ,

:P ,

:M :

Fisher. P

.V T

:Cambridge

4-1

ALFRED Marshall

(MV)

Fisher

(PT)

Artur Cecil Pigou

$$P = \frac{k \times R}{M} (C + (1-C) h)$$

Pigou

Don Patinkin 5-1

$$\frac{M_1}{P_1} = \frac{M_2}{P_2}$$

$$M_1/P_1 = M_2/P_2 \quad ; \quad P_2$$

_____ :

P_2 P_1 , M_1/P_2 M_1/P_1 ,

Milton Friedman 6-1
Friedman 1 -6 -1
Friedman

_____ -

.Y:

_____ -

. p -

. r_b -

. r_e -

.w

(1/p)*(dp/dt) :

u :

/

$$M=f(p, r_b, r_e, (1/p)*(dp/dt), w, u)$$

· : M
: **7-1**

·
-

:
· : Δy
· : $\Delta(y/p)$
· : Δp
· : ΔM

$$\Delta y = \Delta(y/p) + \Delta p \quad :$$

$$\Delta y = \Delta M \quad :$$

$$\Delta M = \Delta(y/p) + \Delta p \quad :$$

(ΔM_s)

:

$$\Delta M_s = \Delta(y/p) + \Delta p$$

$$\Delta p = \Delta M_s - \Delta(y/p) \quad :$$

: *

(y/p)

· p

Anna.J.Schwartz

(cointegration)

-2

: 1-2

? (n) 1

:

:

.(cointegration)

Granger (1981) Granger ()
(1986)Hendry (1987)Engle et granger (1983) Weiss
(1988) stock Watson

:

2-2

(1926)Yule

(white noise I(0)).I(0)

:(A)

.I(1)

:(B)

.I(2)

:(C)

(B) (C)

Yule

(R²)

Yule

(1974) Newbold Granger

I(0)

(DW) *Durbin-watson*

. DW

R²

(1970) *Jenkins Box*

((1964)SARGAN) (ECM)

.() ()

(ECM)

t ,I(0)

, (Conitegration)

Granger 1983

(ECM)

Engle Granger ,1985

.(1983) *Weiss Granger*

(ECM)

(ECM)

Granger 1986

Savin (1981) (1979) *Dickey Fuller* (1976)*Fuller*

Peron (1983)*Bhargava* (1982) *Nelson Plosser* (1981) *Evans*

....(1988)*phillips*

(1988) *McMahon, P.C Taylor, M.P*

6

(-)

(1989)*Taylor, M.P*

1973

5

Taylor

.1985

Arturo Brillembourg

1979

Mohsin S.Khan

(1972)*Sims*

1975

1870

()

()

Granger

Jones

1989

1986- 1950

(CPI)

)

(M2

M1)

(WPI)

.(WPI, CPI) (M2 M1)

Darrat 1986

(1976)*Sargant*

. 1980 1960

-4

1-4

1995

84 . 2001

CPI

:M

:

-

(Unit roots) *Dickey fuller (ADF)*

:

:

$$CPI_t = a_1 * M_t + a_0 + \varepsilon_t$$

ADF

:

$$\varepsilon_t = CPI_{t-1} - a_1 * M_{t-1} - a_0$$

, ADF

$$\Delta M_t = a * M_{t-1} - \sum_{j=2}^p b_j * \Delta M_{t-j+1} + \varepsilon_t$$

$$\Delta M_t = a * M_{t-1} - \sum_{j=2}^p b_j * \Delta M_{t-j+1} + c + \varepsilon_t$$

$$\Delta M_t = a * M_{t-1} - \sum_{j=2}^p b_j * \Delta M_{t-j+1} + c + d * t + \varepsilon_t$$

: (CPI) _____ :

$$\Delta CPI_t = a * CPI_{t-1} - \sum_{j=2}^p b_j * \Delta CPI_{t-j+1} + \varepsilon_t$$

$$\Delta CPI_t = a * CPI_{t-1} - \sum_{j=2}^p b_j * \Delta CPI_{t-j+1} + c + \varepsilon_t$$

$$\Delta CPI_t = a * CPI_{t-1} - \sum_{j=2}^p b_j * \Delta CPI_{t-j+1} + c + d * t + \varepsilon_t$$

: ΔM :

: ΔCPI

. 4

: P

: ADF

$$b_j = 1 : H_0$$

$$|b_j| < 1 : H_1$$

: H₀

$$b_j - 1 = 0 : H_0$$

$$b_j = 1$$

 b_j

Student

 t_{b_j}

.Student

 t_{b_j}

t_{bj} , 10% 5% 1% (ADF)
 2
 .10% 5%
 . I(1) : , 10% 5%
 CPI
 2 .1 ,1%
 I(1) : ,1%

: 1

10%	5%	1%	ADF		
-1.61	-1.94	-2.51	2.32	M	
			-2.10	CPI	
			2.21	M	
			4.76	CPI	

: 2

10%	5%	1%	ADF		
-1.61	-1.94	-2.5	-5.06	ΔM	
			-8.78	ΔCPI	
			-5.06	ΔM	
			-3.64	ΔCPI	

:

**

$$CPI_t = 100.85 + 0.25 * M_t + \varepsilon_t$$

(6.33) (0.043)

R²=0.8

$$CPI_t = 110.94 + 0.002 * M_t + \varepsilon_t$$

(32.18) (6.76^E-05)

R²=0.9

(ADF) t_{bj} 3
 , 10% 5% 1%
 , I(0)
 10% 5% I(0)

10%	5%	1%	ADF	
			-5.13	
-1.16	-1.94	-2.59	-2.57	

1%
 10% 5%
 2-4

. Granger

(ΔCPI)

(ΔM)

Granger

$$(1) \dots \Delta CPI_t = \sum_{i=1}^n a_i * \Delta M_{t-i} + \varepsilon_t$$

$$(2) \dots \Delta M_t = \sum_{i=1}^n b_i * \Delta CPI_{t-i} + \varepsilon_t$$

$$(3) \dots \Delta CPI_t = \sum_{i=1}^n c_i * \Delta CPI_{t-i} + \sum_{i=1}^n d_i * \Delta M_{t-i} + \varepsilon_t$$

$$(4) \dots \Delta M_t = \sum_{i=1}^n e_i * \Delta M_{t-i} + \sum_{i=1}^n h_i * \Delta CPI_{t-i} + \varepsilon_t$$

. : ΔM :

: ΔCPI

. 4 : n

, (3) (restricted) (1)

. (4) (restricted) (2)

:

$d_i=0$: H_0

$h_i=0$: H_0

ΔM ΔCPI ,

: F

$$F = [(RSS_R - RSS_U) / d] / [RSS_U / (N - K)]$$

: RSS_R

: RSS_U

{ } : K

: d

: N

: Fisher F

: Fisher F

/

		<i>Fisher</i>	
	:	1.59	: 1%
	:	1.81	: 5%
	:	2.30	: 10%
<i>Fisher</i>	F	4	
	:	1%	5% ,10%

: 4

<i>The null hypothesis</i>	<i>F-statistic</i>
Algeria	
ΔM does not cause ΔCPI	0.00035
ΔCPI does not cause ΔM	0.00064
Tunisia	
ΔM does not cause ΔCPI	0.019
ΔCPI does not cause ΔM	0.783

: -5

2001 1995

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